# The Haberdashers' Aske's Boys' School Elstree 



# 11+ Entrance Examination 2007 

## MATHEMATICS

One Hour

Full Name $\qquad$
Examination Number $\qquad$

## INSTRUCTIONS

1. DO NOT OPEN THIS PAPER UNTIL YOU ARE TOLD TO DO SO.
2. There are 30 questions on this paper. DO NOT FORGET TO TURN OVER.
3. Work quickly but accurately. You are recommended to use pencil, but you can use pen or biro if you wish.

| 1. Add | $49+37$ |
| :--- | :--- |
| 2. Subtract | $85-28$ |
| 3. Multiply | $58^{\prime} 6$ |
| 4. Divide | 9027,9 |

5. A school fair needs to attract 350 people in order to make a profit. There are already 143 tickets sold. How many more tickets need to be sold?
6. Peter Piper picked 716 pecks of pickled pepper and each peck of pickled pepper had 4 pips. How many pips of pickled pepper did Peter Piper pick?

Answer

1. Add

9027, 9
7. A large crate contains 60 cartons of milk. If one layer consists of 12 cartons, how many layers are there?
8. A number is missing from this sequence. What is it?

$$
3,5, \ldots, 15,23,33
$$

9. Which of the following numbers is closest to 1 ?

$$
1.01,99 \%, \frac{9}{10}, \frac{999}{1000}, 0.99
$$

10. In the number 5345, the difference in value between the 3 and the 4 is $300-40=260$. What is the difference in value between the two fives?
11. Give the size of the obtuse angle between the compass directions NE and S.
12. There are 10 lamp posts in my street. The distance between each lamp post is 30 metres. What is the distance between the first post and the tenth post? (Ignore the width of the posts)
13. What is the approximate value of $\frac{496}{997}, 14.04$ ? Give your answer to the nearest whole number.

## SPACE FOR WORKING

14. A bookshelf can hold 18 books of width 8 cm . How many books of width 6 cm can it hold?
15. Two-thirds of a fence has been painted. If there are still 15 metres left to paint, how long is the fence?
16. The perimeter of a rectangle is 28 cm . If the length of the rectangle is 10 cm more than the width, find the width and the length of the rectangle.
$\qquad$
17. Are the following statements sensible? Write 'Yes' or 'No'

A lorry weighs 2000 g .
A fifteen year old girl weighs 50 kg .
Blackpool Tower is 200 cm high.
A horse is 15 m high.
18. In Dimple mania, there is a strange currency system, in which

12 coppers equal 1 silver
and 10 silvers equal 1 gold
Gretel pays for a drink which costs 6 silvers and 8 coppers with 1 gold.
How much change should she receive in silvers and coppers?
Silvers

Coppers $\qquad$
19. My sons support Liverpool Football Club. One season they played 38 games. They lost 2 of these games and won twice as many as they drew. How many games did they win?

A win scores 3 points, a draw scores 1 point and a loss scores nothing. How many points did they score in the season?

## SPACE FOR WORKING

20. My son is also mad about Formula 1 Racing. In Formula 1, a driver scores points as follows:

| Position | $1^{\text {st }}$ | $2^{\text {nd }}$ | $3^{\text {rd }}$ | $4^{\text {th }}$ | $5^{\text {th }}$ | $6^{\text {th }}$ | $7^{\text {th }}$ | $8^{\text {th }}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Points | 10 | 8 | 6 | 5 | 4 | 3 | 2 | 1 |

In one season, Kimi Raikkonen, (his favourite driver ) won 8 races, finished second 3 times, third 3 times, fifth twice and seventh once.
He retired from 3 of the races.
How many races were there in this F1 season?
How many points did Kimi score?
What was the average number of points per race?
If Kimi did not score the most points in that season, what is the maximum number of points that the winning driver could have scored?
21.

a) If the input is 3 , what is the output?
b) If the output is 48 , what is the input?
22. My watch started going backwards at the same pace as it should have gone forward at 2.20 pm yesterday. Later that same day it read 1.25 pm . What was the actual time?
23.

$$
\begin{aligned}
& (1+1)^{2}=1^{2}+1+1+1=4 \\
& (2+1)^{2}=2^{2}+2+2+1=9 \\
& (3+1)^{2}=3^{2}+3+3+1=16 \\
& (4+1)^{2}=4^{2}+4+4+1=25
\end{aligned}
$$

If $25^{2}=625$, use this pattern to find $26^{2}$

## SPACE FOR WORKING

24. Pyramid numbers are formed as follows:

The first pyramid number is $\quad 1$
The second pyramid number is $1+4=5$
The third pyramid number is $\quad 1+4+9=14$
The fourth pyramid number is $1+4+9+16=30$

The fifth pyramid number is
The sixth pyramid number is
The seventh pyramid number is

What do we call the types of numbers we are adding to get each of these pyramid numbers?
25.

Holiday Insurance Premiums
Free for children under 4 years, reduced rate for children aged between 4 and 13 years inclusive.

|  | Adults | Children |
| :--- | :--- | :--- |
| Up to 3 days | $£ 10.00$ | $£ 6.00$ |
| Up to 6 days | $£ 12.40$ | $£ 7.60$ |
| Up to 9 days | $£ 13.80$ | $£ 8.90$ |
| Up to17 days | $£ 19.80$ | $£ 12.20$ |
| Up to 24 days | $£ 23.40$ | $£ 15.40$ |
| Up to 31 days | $£ 26.00$ | $£ 18.00$ |

The table shows holiday insurance premiums.
a) What is the holiday insurance premium for an adult for
I) a 16 day holiday $\qquad$
ii) a 4 week holiday $\qquad$
b) Calculate the total holiday insurance premium for a family of four (mother, father, daughter aged 9, son aged 3), taking a 2 week holiday. $\qquad$
SPACE FOR WORKING
26.


Eric plays Roll-a-Ball at the fairground. He has to roll six balls, all of which must score. When he has rolled four balls, the position is as shown. So far, he has scored

$$
5+3+3+6=17
$$

Winning totals are

$$
6,10,18,20,25,29,32,36
$$

a) Which of these winning totals can Eric still achieve?
b) List all the possible ways in which he can score 8 with the last 2 balls.
27. A jogger usually runs for 60 minutes once a week for a distance of 5 miles. What is his average speed in miles per hour?

On one week's jog, he stops for a rest for 20 minutes after running just $21 / 2$ miles at his usual speed. How fast would he need to run in miles per hour in order to be back home at the usual time?
28. Here is a quick way of adding numbers:

$$
\begin{aligned}
& 1+2+3=\frac{3^{\prime} 4}{2}=\frac{12}{2}=6 \\
& 1+2+3+4=\frac{4^{\prime} 5}{2}=\frac{20}{2}=10 \\
& 1+2+3+4+5=\frac{5^{\prime} 6}{2}=\frac{30}{2}=15
\end{aligned}
$$

Use this method to find,

$$
\begin{aligned}
& 1+2+3+4+\ldots \ldots \ldots+99+100= \\
& 50+51+52+\ldots \ldots \ldots+99+100=
\end{aligned}
$$

29. in Topology, a point with at least one path leading from it is called a node.

Any path joining two nodes is called an arc .
An area surrounded by arcs is called a region .( Even the area outside a shape is a region.)

Complete the following table for each of the figures.( The first one is done for you.)
1.

2.

3.

4.


| Figure | $\operatorname{Nodes}(\mathrm{N})$ | Regions(R) | $\operatorname{Arcs(A)}$ |
| :---: | :---: | :---: | :---: |
| 1 | 4 | 4 | 6 |
| 2 |  |  |  |
| 3 |  |  |  |
| 4 |  |  |  |

Can you find a connection between the nodes(N), regions(R) and $\operatorname{arcs}(\mathrm{A})$ ?

## SPACE FOR WORKING

30. This quadrilateral has 2 diagonals.


This pentagon has 5 diagonals.


How many diagonals does a hexagon have?

How many diagonals does an octagon have?
Complete the following table:

| Number of sides | Number of diagonals |
| :---: | :---: |
| 3 |  |
| 4 | 2 |
| 5 | 5 |
| 6 | 14 |
| 7 |  |
| 8 |  |
| n |  |
| 20 |  |

